

ALGORITHM 95
GENERATION OF PARTITIONS IN PART-COUNT
FORM

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procedure partgen(c,N,K,G); **integer** N,K; **integer array** c;
Boolean G;

comment This **procedure** operates on a given partition of the positive integer N into parts $\leq K$, to produce a consequent partition if one exists. Each partition is represented by the integers $c[1]$ thru $c[K]$, where $c[j]$ is the number of parts of the partition equal to the integer j . If entry is made with $G = \mathbf{false}$, **procedure** ignores the input array c , sets $G = \mathbf{true}$, and produces the first partition of N ones. Upon each successive entry with $G = \mathbf{true}$, a consequent partition is stored in $c[1]$ thru $c[K]$. For $N = KX$, the final partition is $c[K] = X$. For $N = KX + r$, $1 \leq r \leq K-1$, final partition is $c[K] = X$, $c[r] = 1$. When entry is made with **array** $c =$ final partition, c is left unchanged and G is reset to **false**;

begin integer a,i,j;
 if $\neg G$ **then go to** first;
 j := 2;
 a := C[1];
test: **if** $a < j$ **then go to** B;
 c[j] := 1 + c[j];
 c[1] := a - j;
zero: **for** i := 2 **step** 1 **until** j - 1
 do c[i] := 0;
 go to EXIT;
B: **if** j = K **then go to** last;
 a := a + j \times c[j];
 j := j + 1;
 go to test;
first: G := **true**;
 c[1] := N;
 j := K + 1;
 go to zero;
last: G := **false**;
EXIT: **end** partgen